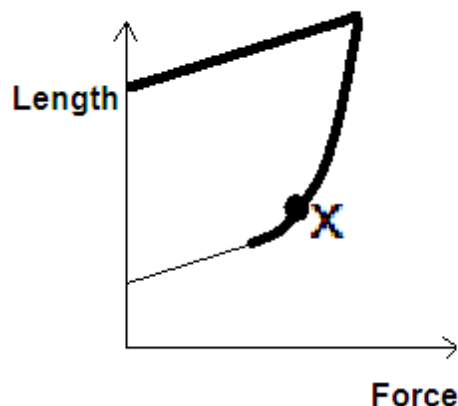


Question Number	Answer	Mark
1(a)	<p>Statement showing that the candidate has realised that this graph is of length and not extension (1)</p> <p>[e.g. subtract starting length for extension this graph is for length not extension the spring has a length between 2.0 and 3.0cm if the line (for this graph) had passed through the origin then the spring would not have any length]</p> <p>(To obey Hooke's law) Force \propto extension Or extension \propto force (or vice-versa) graph should go through the origin (1)</p>	2
1(b)	<p>Use of $F = k\Delta x$ (1)</p> <p>[Either evidence of attempt at $\frac{1}{\text{gradient}}$ with sensible values that could have been obtained from the graph or selection of a pair of values and the original length, 2.5 cm (accept range from 2.0 to 3.0 cm) subtracted from the length]</p> <p>$k = 27 - 29 \text{ (N m}^{-1}\text{)}$ (1)</p> <p><u>Example of calculation</u></p> $K = \frac{\Delta F}{\Delta x} = \frac{8\text{N}}{(0.310 \text{ m} - 0.025 \text{ m})} = 27.68 \text{ N m}^{-1}$	2
1(c)(i)	<p>Use of $\frac{1}{2} F\Delta x$ Or use of $\frac{1}{2} k\Delta x^2$ (1)</p> <p>[Allow $F = 5.7$ to 5.9 N] Energy = 0.59 (J) (1)</p> <p><u>Example of calculation</u></p> <p>Energy = $\frac{1}{2} \times 5.8 \text{ N} \times (0.23 \text{ m} - 0.025 \text{ m}) = 0.59 \text{ J}$ Or Energy = $\frac{1}{2} k\Delta x^2 = \frac{1}{2} \times 27.68 \text{ N m}^{-1} \times (0.23\text{m} - 0.025 \text{ m})^2 = 0.59 \text{ (J)}$</p>	2
1(c)(ii)	<p>energy stored \rightarrow gpe Or energy stored = mgh seen or substituted into (1)</p> <p>Use of stored energy = mgh (1)</p> <p>height = 12 m (1)</p> <p><u>Example of calculation</u></p> $0.59 \text{ J} = 0.005 \text{ kg} \times 9.81 \text{ m s}^{-2} \times h$ $h = 12.0 \text{ m}$	3

1(d)



Max 3 for the graph

- Line continues from where graph for spring A ends and curves (1)
- Direction of graph curves upwards (1)
- Line continued back to show an extended length [Gradient of line not important] (1)
- Elastic limit **Or** the yield point marked and labelled or identified in response.(X on the diagram) (1)

[Candidates that decide to start a new line are omitting themselves from getting marking point 1]

Max 3 for description of graph

- More force used/masses added with spring C (1)
- Spring A not extended past elastic limit or yield point (1)
- **Or** Spring C is extended past elastic limit or yield point (1)
- Spring A shows elastic (behaviour/deformation) (1)
- Spring C shows plastic (behaviour/deformation)
- Spring C permanently extended/ did not return to its original length (when force removed) **and** spring A returns to original length (when the force is removed) (1)

6

Total for question

15

Question Number	Answer	Mark
2(a)(i)	Straight line shown / constant gradient (1) (So) extension or change in length proportional to force (accept Δx or Δl or e proportional to F) / k constant. (NOT Length \propto force) (1) [Just stating $F = k\Delta x$ does not get the mark] (Yes, because extension or change in length proportional to force gets 2)	2
2(a)(ii)	Indication of use of (inverse) gradient, e.g. $k = F/\Delta x$ or with values obtainable from graph (accept extension/force for first mark) (1) Substitution of values as force/extension (1) Stiffness = 0.66 to 0.80 (N m^{-1}) [no ue] (1) Range is due to tolerance of + or - half a square on reading graph. [Allow answers of 0.7 N m^{-1} or 0.8 N m^{-1} without extra sig fig if that is the exact value produced from their figures, e.g. from $F = 0.7 \text{ N}$, where length = 260 cm] <u>Example of calculation</u> $k = F/\Delta x$ $k = 0.8 \text{ N} / (2.7 \text{ m} - 1.6 \text{ m})$ $k = 0.8 \text{ N} / 1.1 \text{ m}$ $= 0.73 \text{ N m}^{-1}$ (Read graph to half a square)	3
2(a)(iii)	Use of $E = \frac{1}{2} F\Delta x = \frac{1}{2} k(\Delta x)^2$ OR Use of an area between a line and an axis (allow line shown and force axis) (1) Identify correct extension OR correct area (1) $E = 0.31 \text{ J}$ to 0.35 J from $E = \frac{1}{2} F\Delta x$ $E = 0.27 \text{ J}$ to 0.40 J from $\frac{1}{2} k(\Delta x)^2$ if k in range [allow ecf for k] (1) <u>Example of calculation</u> $E = \frac{1}{2} F\Delta x$ $= 0.5 \times 0.7 \text{ N} \times (2.55 \text{ m} - 1.6 \text{ m})$ $= 0.33 \text{ J}$	3
2(b)(i)	Coils at top support coils below (1) (So) a greater force acts (on top coils) (1) Coils at the top support the weight of the coils below as well = 2 marks	2
2 (b)(ii)	Clearly below centre and above bottom - accept if no label (1)	1
2 (b)(iii) (1)*	(QWC - Work must be clear and organised in a logical manner using technical wording where appropriate) Ball acted on by its weight (alone) / by gravity (alone) (1) Top coils acted on by their weight and/also acted on by elastic/tension force / force due to extension of coils (1) So the acceleration is greater (1) Energy explanation - max 2 for ball, transfer to ke from gpe alone - 1 mark for top coils, transfer to ke from gpe and elastic pe - 1 mark (allow 'has' energy instead of transfer to ke)	3
2(b)(iii) (2)	They are acted on by weight downwards and (elastic) force upwards/ the forces on them are/remain balanced (1)	1
	Total for question	15

Question Number	Answer	Mark
3(a) (i)	<p>Explain the shape of the graph in the part labelled AB</p> <p>Force proportional to extension / obeys Hooke's law (1)</p>	1
3(a) (ii)	<p>Explain what is happening in the part of the graph labelled CD.</p> <p>Fully compressed / coils closed (accept cup/bug/toy touches base) (1)</p>	1
3(b)	<p>Show that the stiffness of the spring is about 1000 N m^{-1}.</p> <p>State $k = 1/\text{gradient}$ or use of values in $k = F / x$ (1) Correct answer to at least 2 s.f. [1100 N m^{-1}] (1) (Values from graph must be within half a square) (Accept 1000 N m^{-1} to only 1 s.f. if the answer given by the values used from the graph is $1.0 \times 10^3 \text{ N m}^{-1}$ to 2 s.f.)</p> <p>Example of calculation $k = F / x$ $= 20 \text{ N} / 0.019 \text{ m}$ $= 1050 \text{ N m}^{-1}$</p>	2
3(c) (i)	<p>Calculate the energy stored in the spring at this stage</p> <p>State area under graph or use of energy = $1/2 F\Delta x$ or state energy = $1/2 kx^2$ (1) correct answer [0.17 J] (1) [ecf for k] (Values from graph must be within half a square)</p> <p>Example of calculation energy = $1/2 F\Delta x$ $= 1/2 \times 19.2 \text{ N} \times 0.018 \text{ m}$ $= 0.17 \text{ J}$</p>	2

3(c) (ii)	Calculate the maximum height reached by the bug. Use of $gpe = mgh$ (1) correct answer [2.4 m] (1) [ecf] Example of calculation $0.17 \text{ J} = mgh$ $h = 0.17 \text{ m} / 7.3 \times 10^{-3} \text{ kg} \times 9.81 \text{ N kg}^{-1}$ $= 2.4 \text{ m}$	2
3(c) (iii)	State an assumption made in your calculation all elastic pe \rightarrow ke of bug \rightarrow gpe of bug (2 out of 3) / all stored energy (of the spring) transferred to the 'toy' / no energy lost due to air resistance (1)	1
3(d)	Explain the advantage of using the video camera improves accuracy/reliability/precision (1) eliminate reaction time in looking / can slow down and stop (to take reading) etc (1)	2
3(e)	Comment on this data Has not included 0.36 / has not included the anomalous result / 0.36 is anomalous/outlier etc (1)	1
Total for question		12

Question Number		Mark
4(a)	(The line) AB (extended) does not pass through the origin /initially Or the graph is curved as it passes through the origin Or the graph (before A) is not a straight line through the origin. (1) The device does not obey Hooke's law (conditional mark) (1)	2
4(b) (i)	Reference to finding area (1) Detail count squares OR approximate the shape of the graph to a triangle Or reference to using a trapezium (could be described as rectangles and triangles) (1)	2
4 (b) (ii)	Identifies that force is the problem. (1) Explains why force used is an overestimate e.g. maximum force has been used (each time) Or average force was not used (each time) Or the force is changing (continuously) Or should have used the trapezium rule Or area of rectangle has been used (1)	2
4(c)	Use of 25% of 540 kJ i.e. find the energy to be used (1) Use of $\frac{\text{total available energy (either 540 000 J or 135 000 J)}}{\text{energy per stretch or energy per unit time}}$ (1) Time = 612 min (1) <u>Example of calculation</u> 540 000 J x 25% = 135 000 J 135 000 J / 14.7 J = 9184 stretches 9184 / 15 stretches per minute = 612 minutes (36 720 s Or 10.2 h)	3
4(d)	smaller extension Or will not stretch as much (1) less work with reference to either same force applied Or to work done being force x extension (1) (Do not accept displacement or distance in place of extension for MP1 or MP2)	2
	Total for question	11

Question Number	Answer		Mark
*5(a)	<p>(QWC – work must be clear and organised in a logical manner using technical terminology where appropriate)</p> <p>Measure the initial length (of the spring) Or record position of a ‘fixed point’ Or record the position of the bottom of the spring (with no masses on the spring)</p> <p>Add mass/weight and record the new length/position</p> <p>Repeat for a range of masses/weights</p> <p>Reference to a precaution taken to ensure measurements were accurate e.g. use of set square, method to reduce parallax, hang spring close to rule, do not exceed proportional/elastic limit</p>	(1) (1) (1) (1)	4
5(b)	<p>Plot appropriate graph of extension/length and force/mass</p> <p>Calculate the gradient (of linear region)</p> <p>Appropriate method to find k from their graph</p> <p>(Max 1 if no graph is suggested i.e. use $k = F/\Delta x$ and average k)</p>	(1) (1) (1)	3
5(c)	<p>k would not be constant for the spring</p> <p>Or the graph would not be a straight line</p> <p>Or the idea that Hooke’s law would not be obeyed</p> <p>Or $F = k (\Delta)x$ does not apply</p>	(1)	1
	Total for Question		8